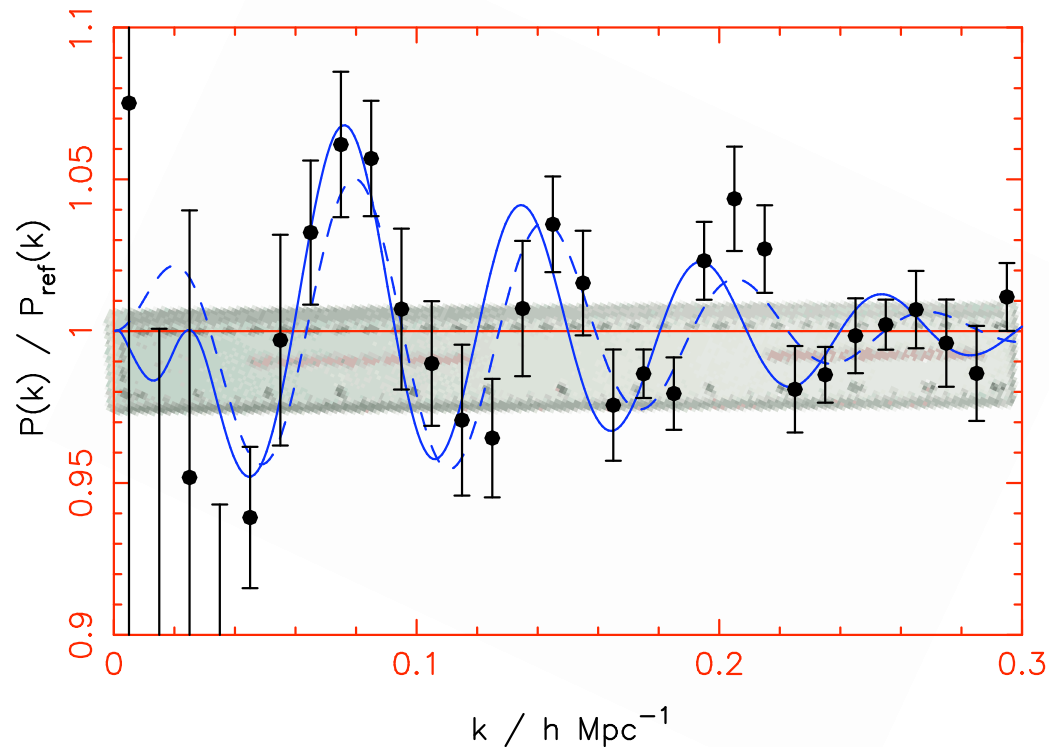


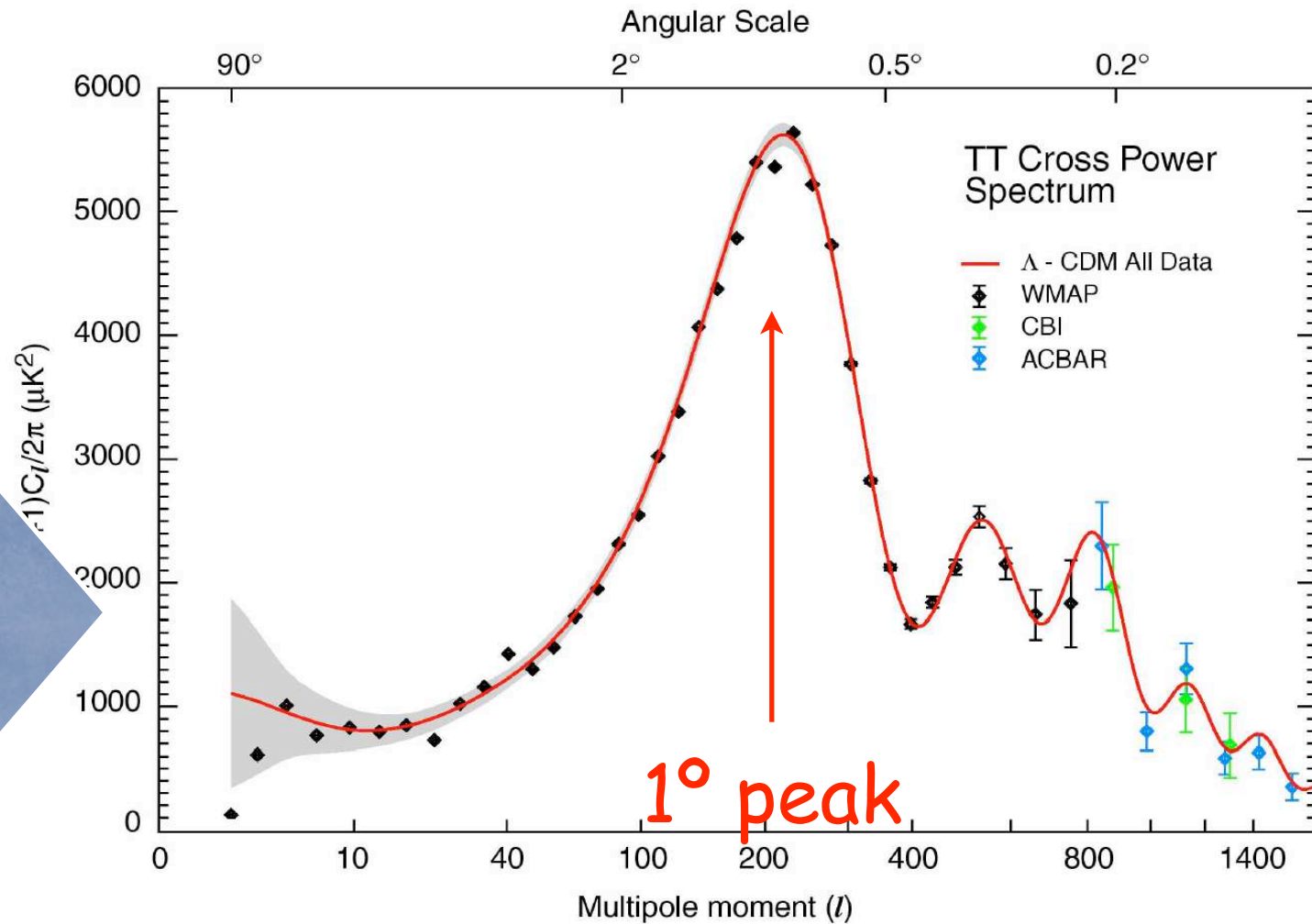
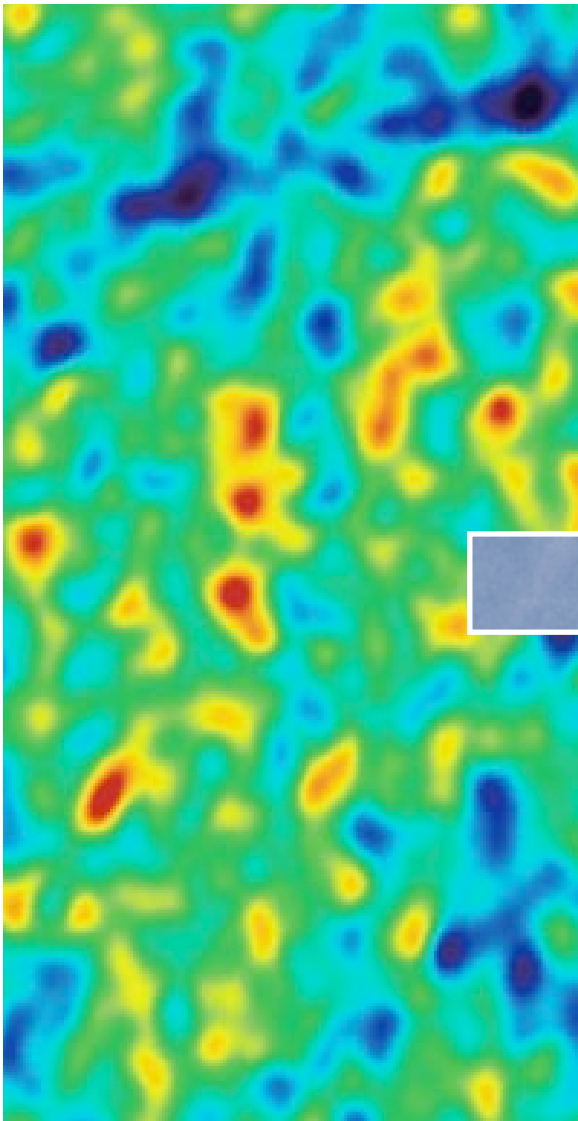
FMOS detection of Cosmic Sound

A modest proposal...

Karl Glazebrook (JHU) & Chris Blake (UNSW)



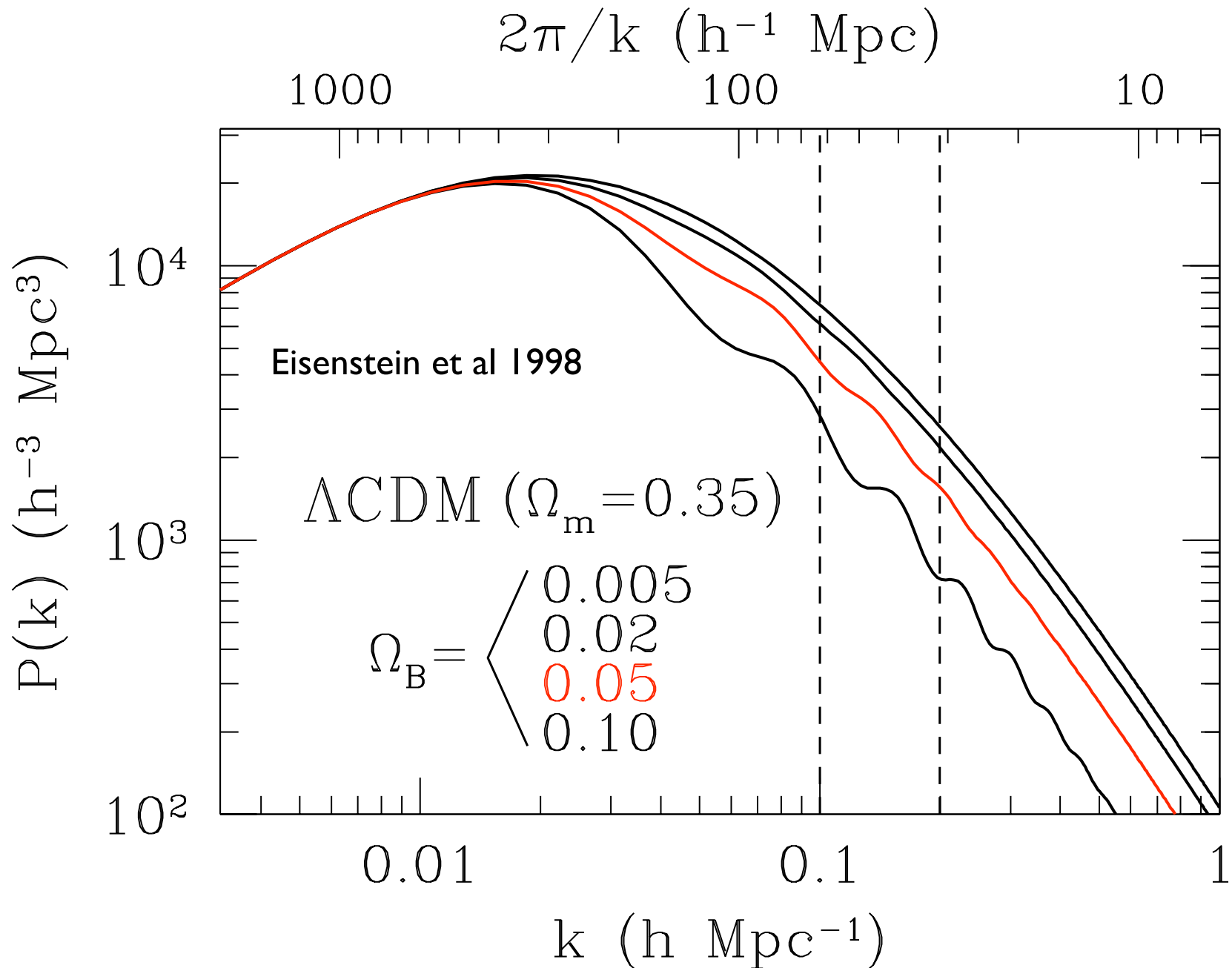
Cosmic sound in the CMB



Harmonics of sound horizon

$$s = \frac{1}{H_0 \Omega_m^{1/2}} \int_0^{a_r} \frac{c_s}{(a + a_{\text{eq}})^{1/2}} da = 150 \text{ Mpc}$$

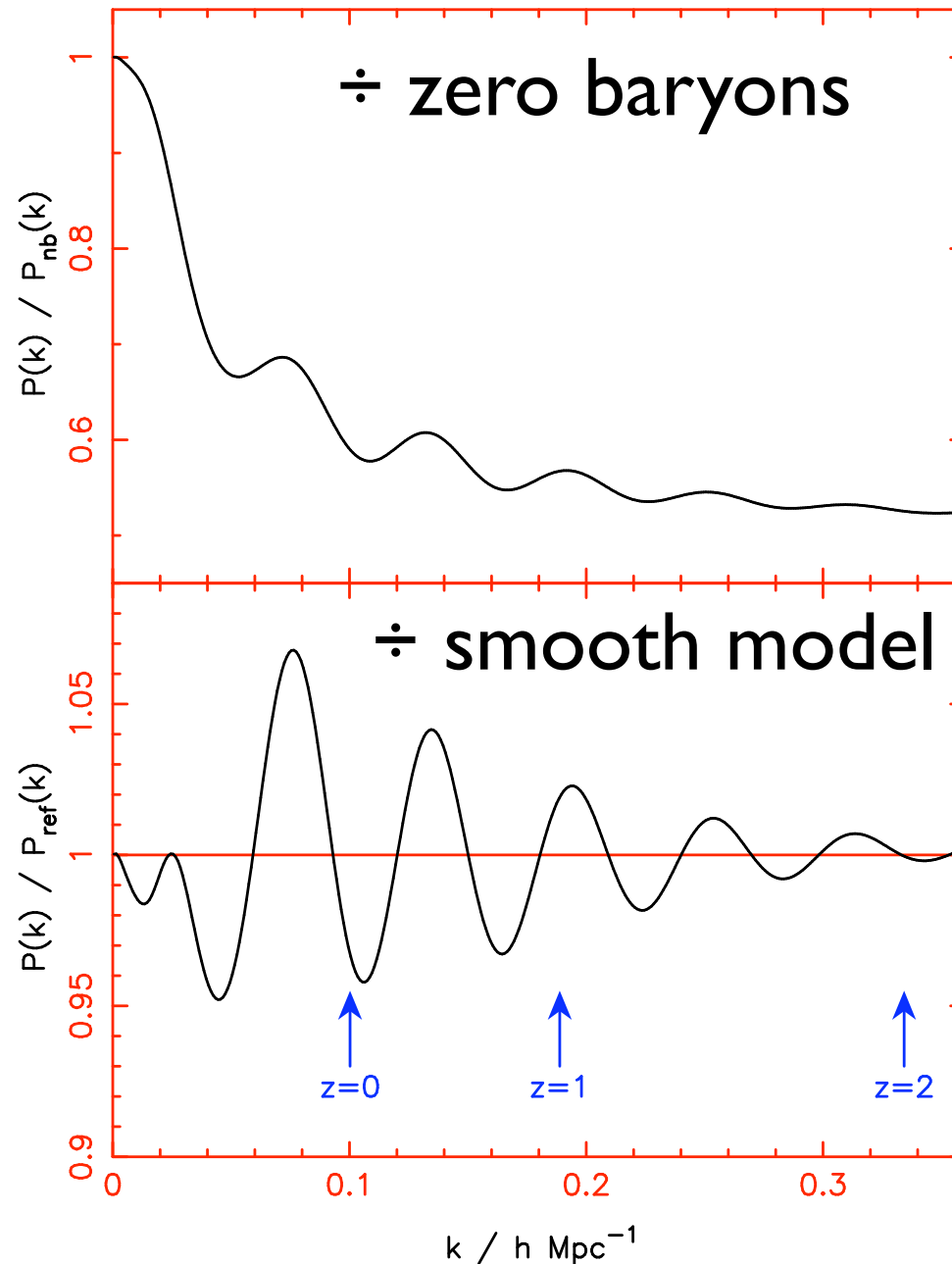
Cosmic Sound in Galaxy Clustering



Observing the sound waves

Linear galaxy
clustering power
spectrum

Wavelength of
oscillation in
Fourier space –
'wavelength' is a
'standard rod'




What use is this?

 Answer: use this standard rod is probe of
COSMOLOGICAL GEOMETRY &
EXPANSION HISTORY

 Big Questions:

 What is causing the current Universal acceleration?

 Is it pure vacuum energy or something more complex?

 Why did it start at $z \sim 1$?

 What happens $z > 1$?

What use is this?

● Precision ($\sim 1\%$) distance-redshift measurements can test dark energy models (parametrize: $w(z)$ vacuum: $w = \text{const.} = -1$)

● $P = w \rho$

● $w < -1/3 \Rightarrow$ accelerating $a(t)$

● $w = -1 \pm 0.2$ indicated by current SNe data ($z_{\text{eff}} \sim 1$) + CMB flatness/ Ω_m

● $(D_L - z \text{ test})$

Current SNe (only)

Choudhury & Padmanabhan

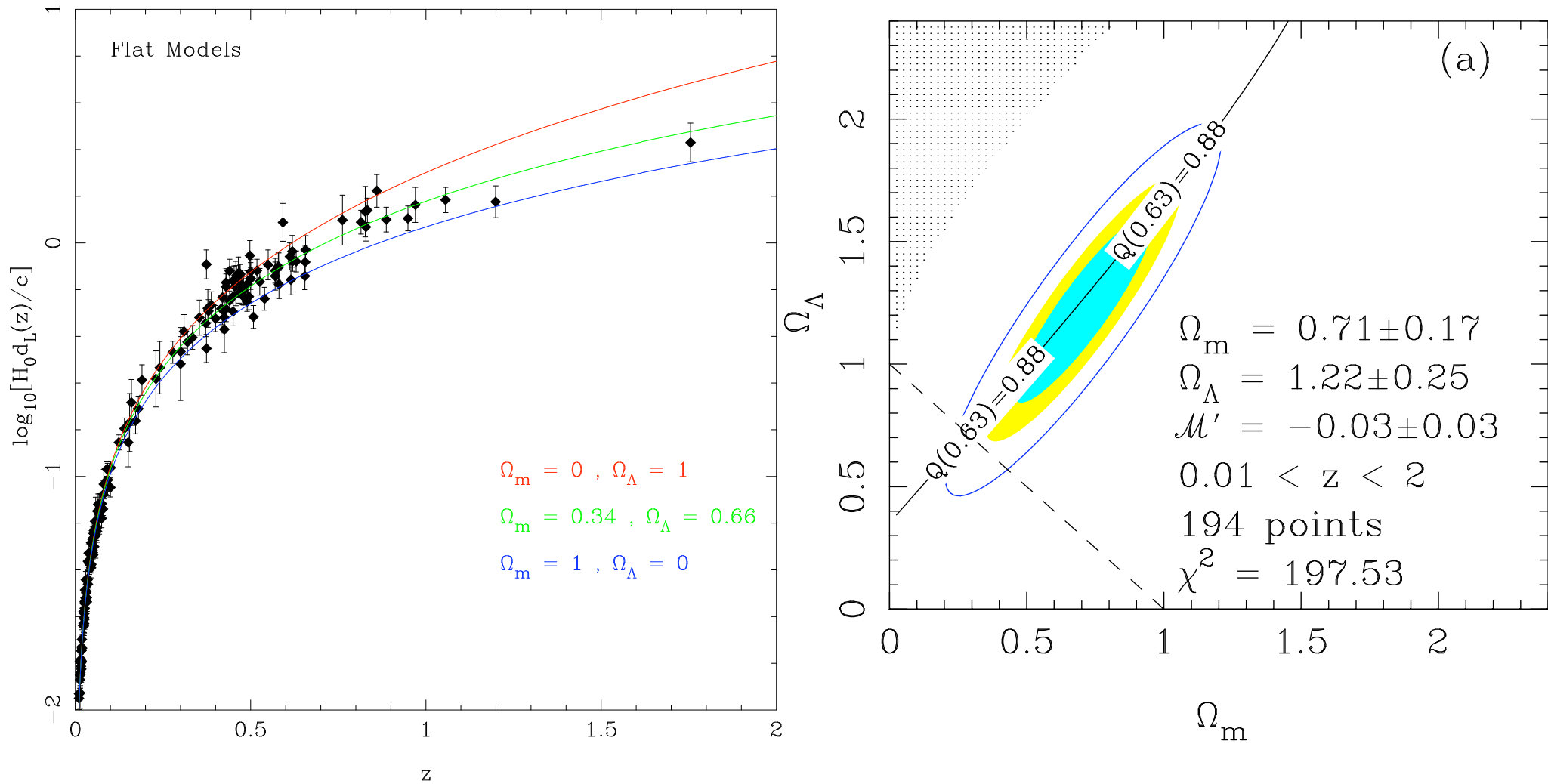
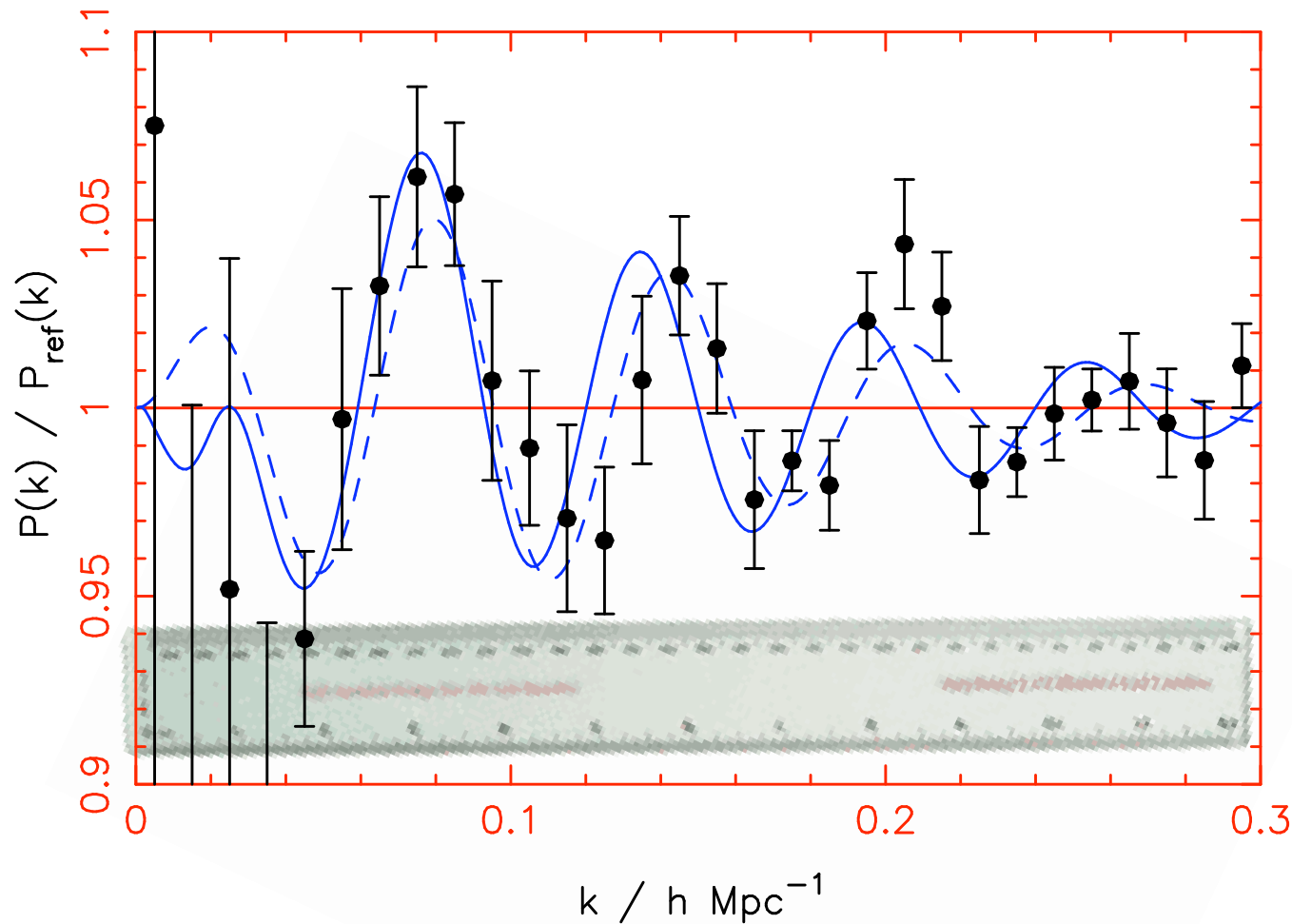


Figure 1. Comparison between various flat models and the observational data. The observational data points, shown with error-bars, are obtained from Tonry et al. (2003) and Barris et al. (2003).

The big idea...



→ **$w(z)$**

Standard rod \Rightarrow distance-redshift \Rightarrow geometry(z) $\Rightarrow w(z)$

More thought...

If $x(z)$ is comoving distance...

$$\frac{dx}{dz} = \frac{c}{H_0 \Omega_m^{1/2}} \frac{1}{\sqrt{(1+z)^3 + (\Omega_m^{-1} - 1)(1+z)^{3(1+w)}}} = c H(z)^{-1}$$

Angular oscillations $\Rightarrow D_A(z) = x(z) (1+z)^{-1}$

Radial oscillations $\Rightarrow H(z)$ ***directly***

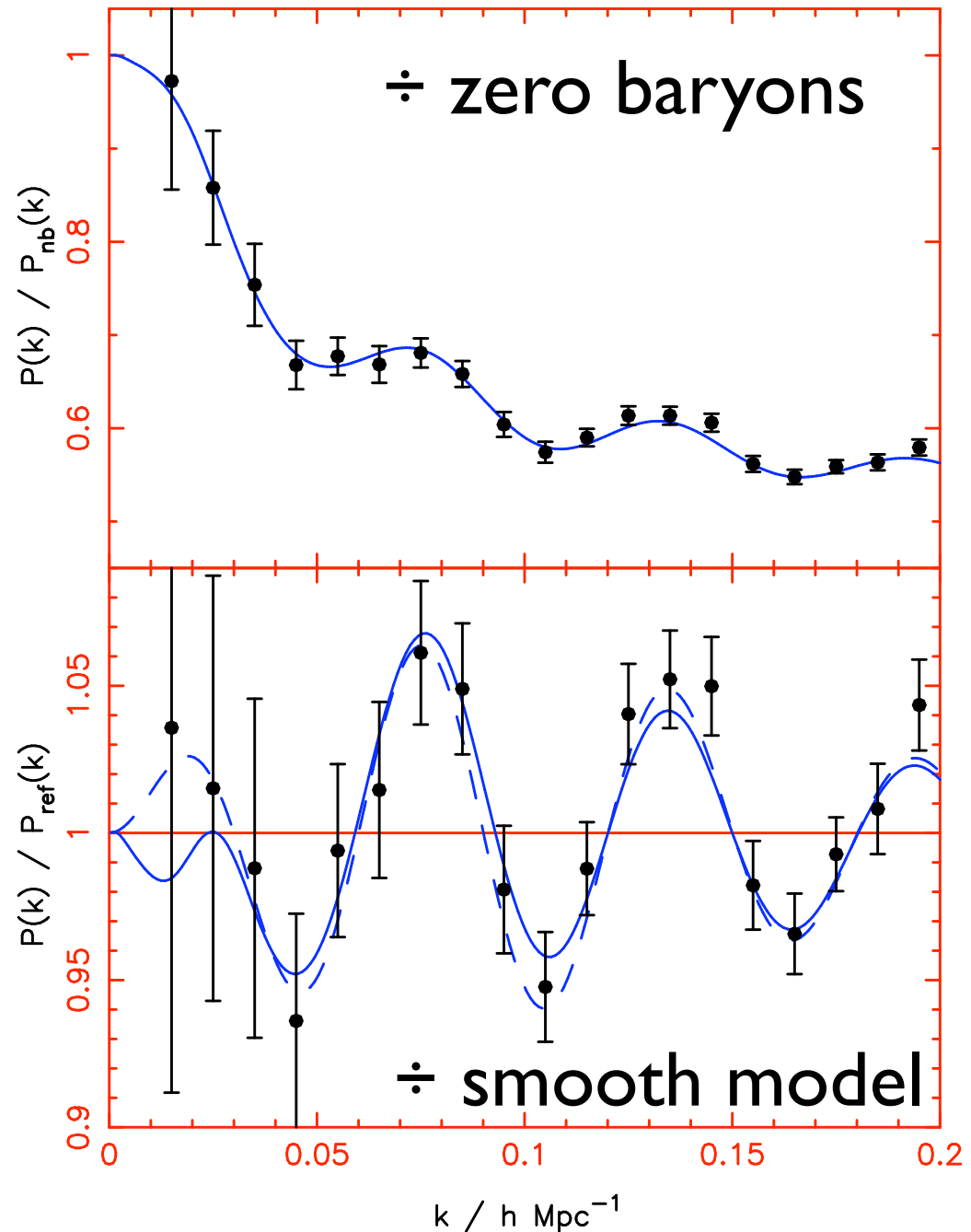
Compare SNe $\Rightarrow D_L(z) = x(z) (1+z)$

Precision measurement?

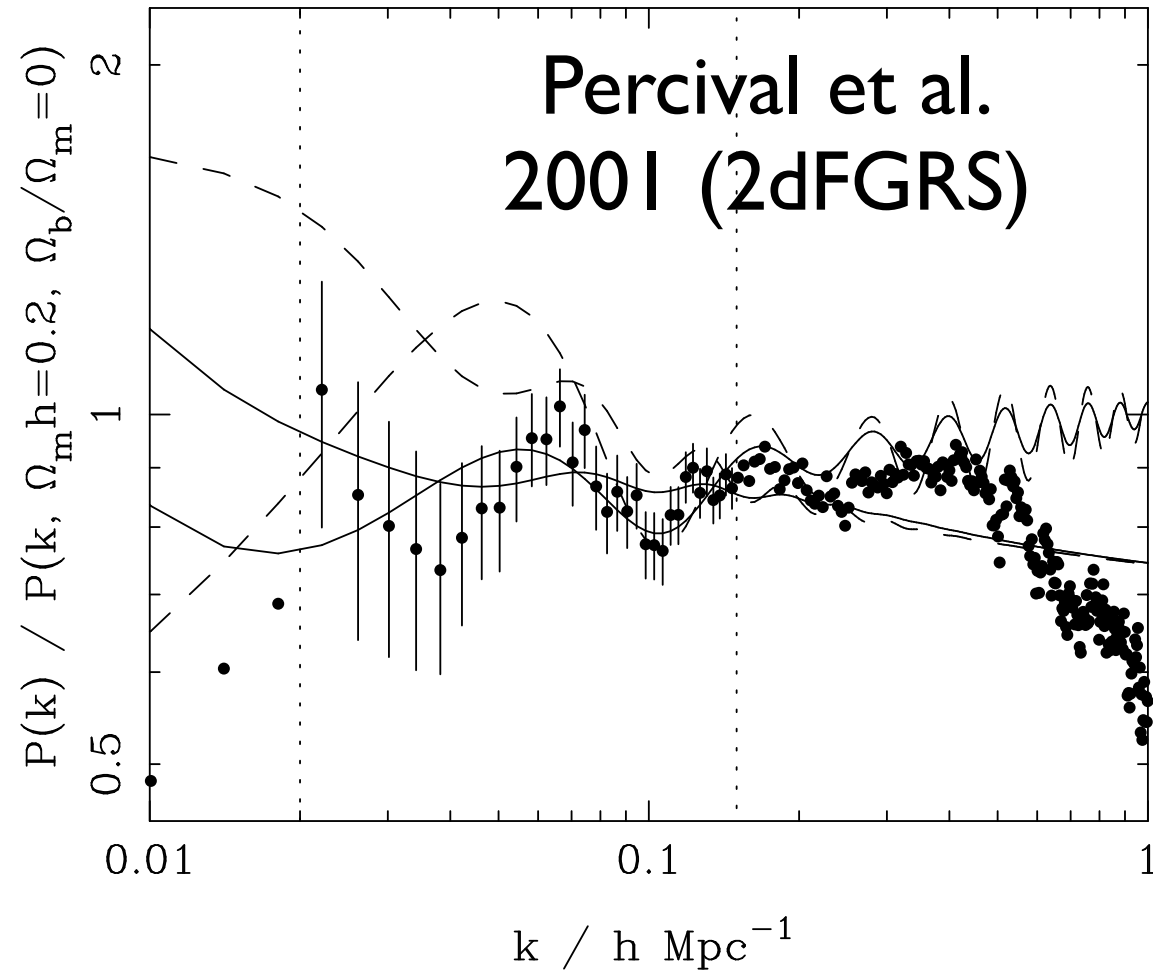
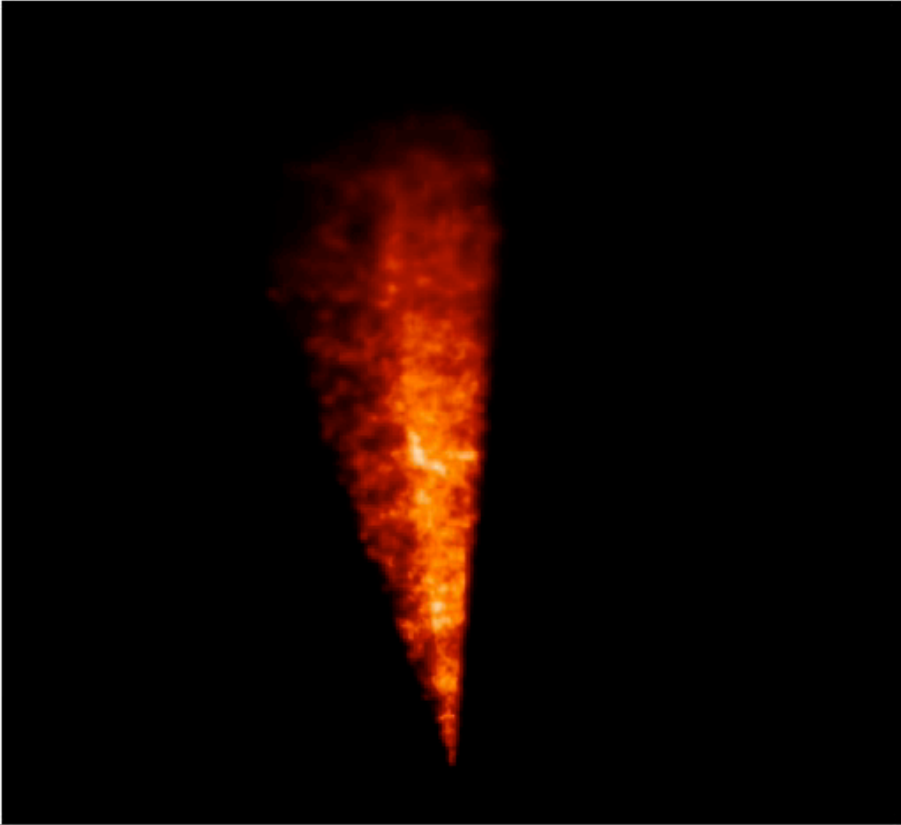
Imagine our precision could look like this at redshift z

We could measure this 'wavelength' to a few % accuracy

We would measure $D(z)$ to few %.

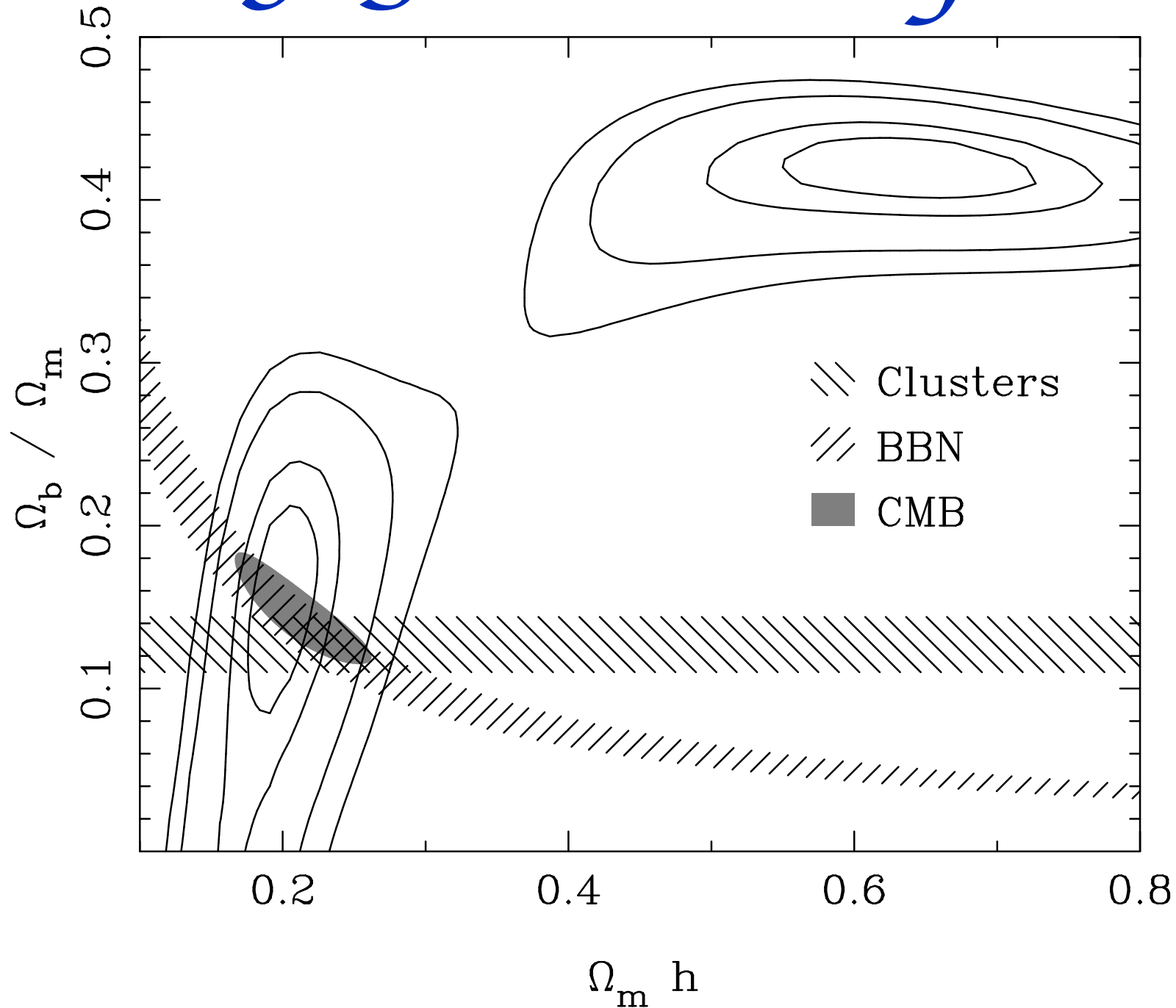


Baryon Wiggles in 2dFGRS?



95% significant detection

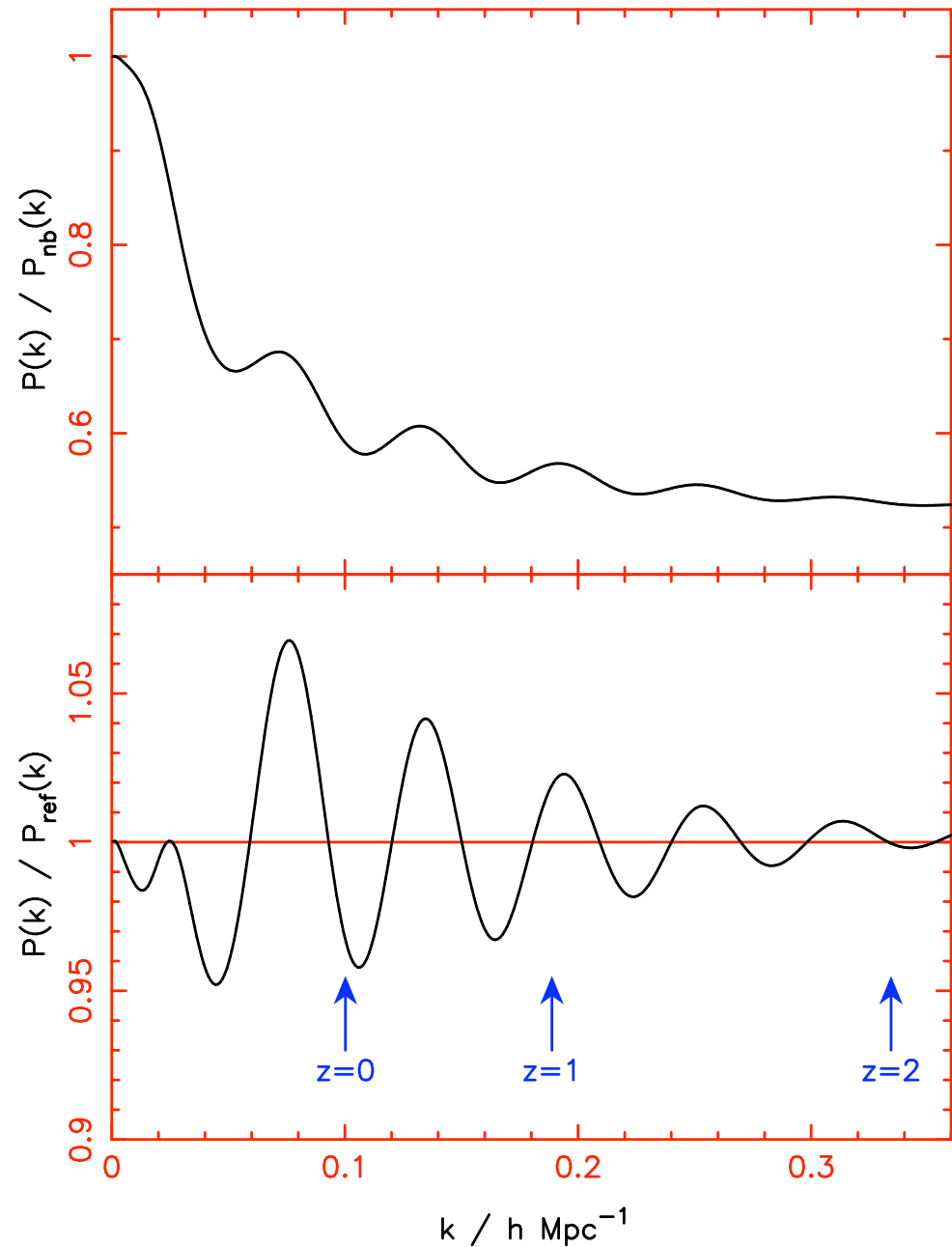
2dFGRS baryons



High- z is better

See more peaks

More leverage in $D(z)$



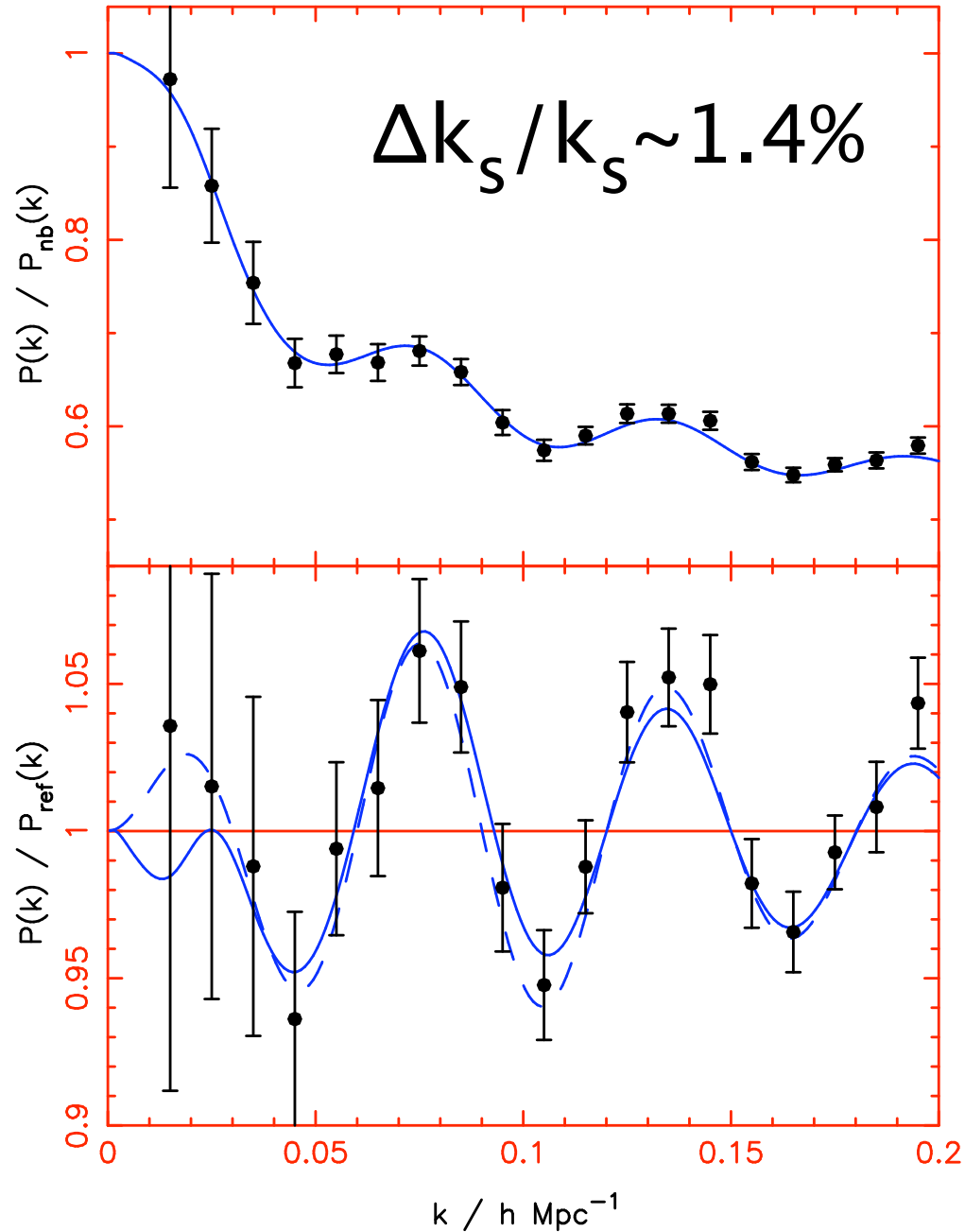
Simulated high-z surveys

2×10^6 galaxies

$0.5 < z < 1.3$

600 deg²

(6 V_{sloan})

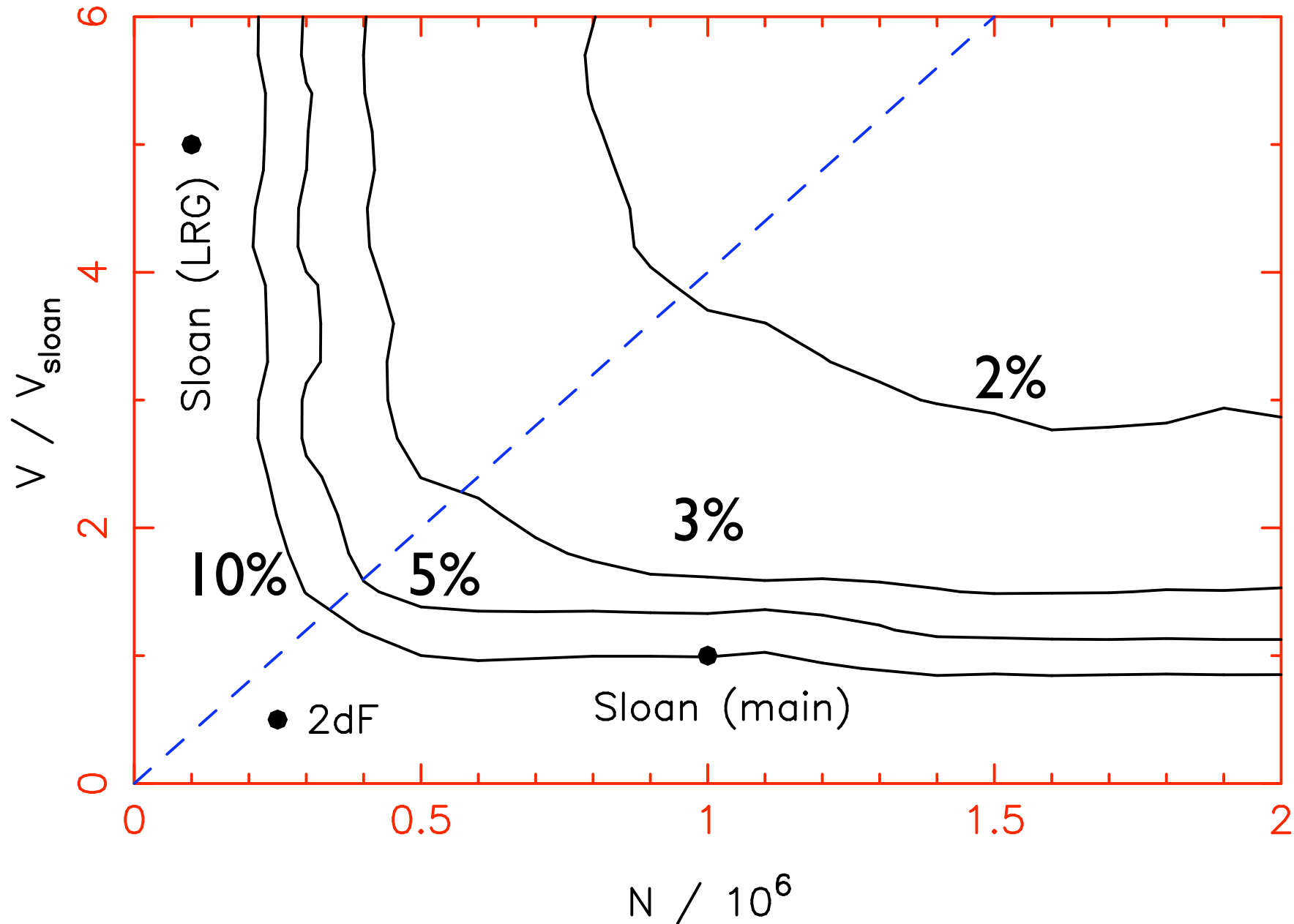


Blake & Glazebrook 2003

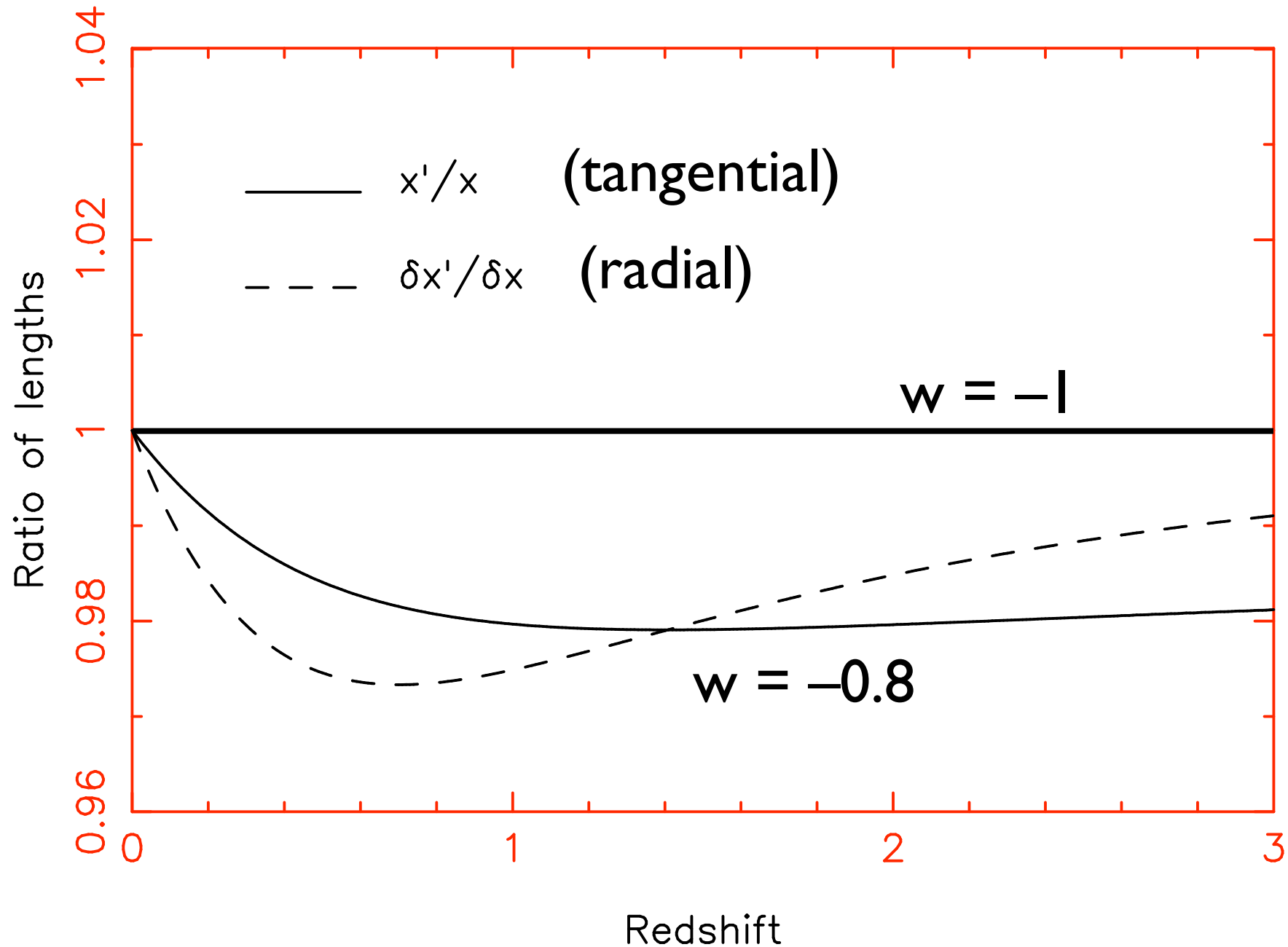
(ApJ 594, 665)

- Remove overall shape from $P(k)$
- Fit model of exponentially decaying sinusoid, treat wavescale as free parameter
- $k_s(\text{true}) - k_s(\text{measured})$ represents accuracy one can recover $D(z)$
- i.e. $\Delta k_s = 1\%$ at $z=1$ means $D(z=1)$ is determined to 1%

Precision vs Size



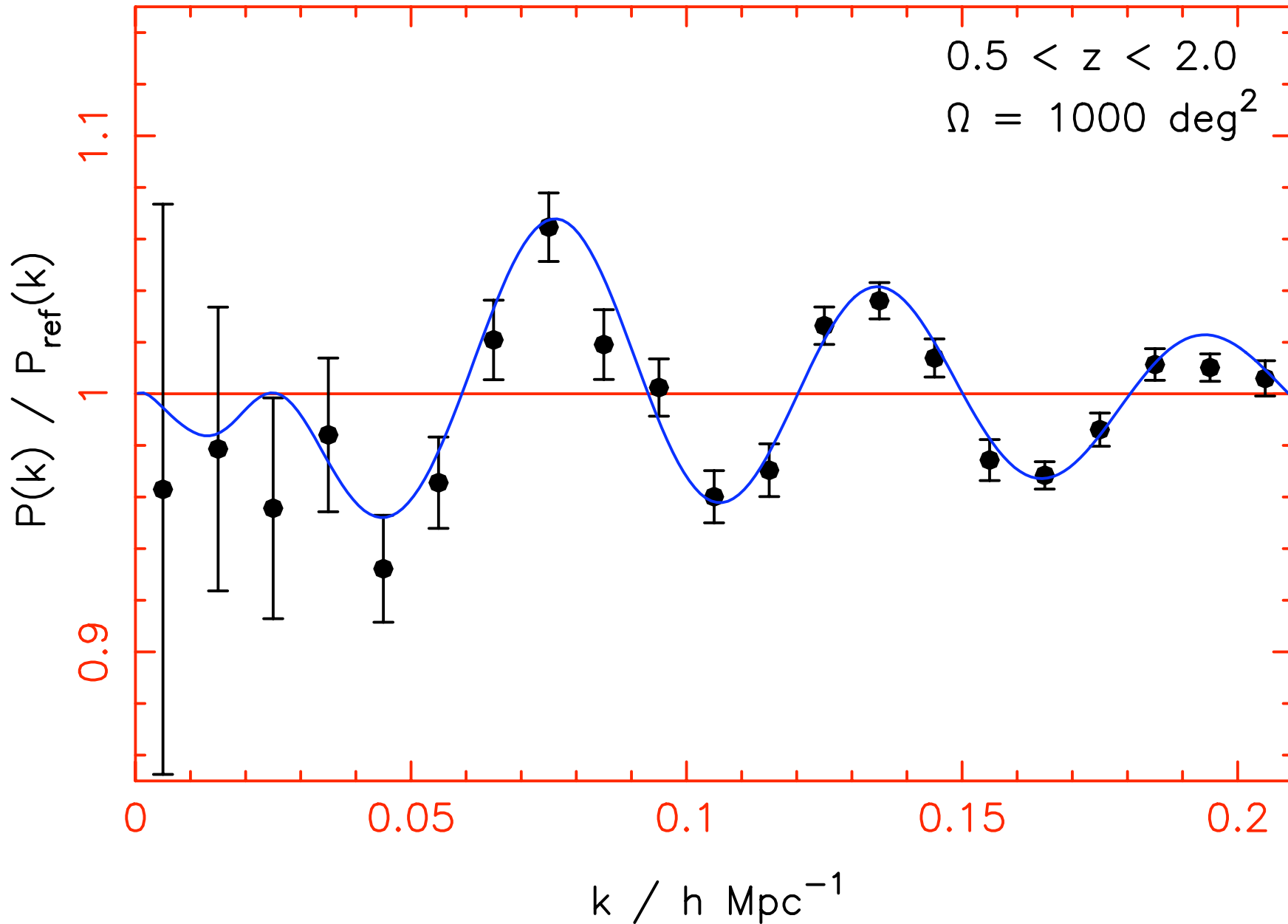
Required accuracy



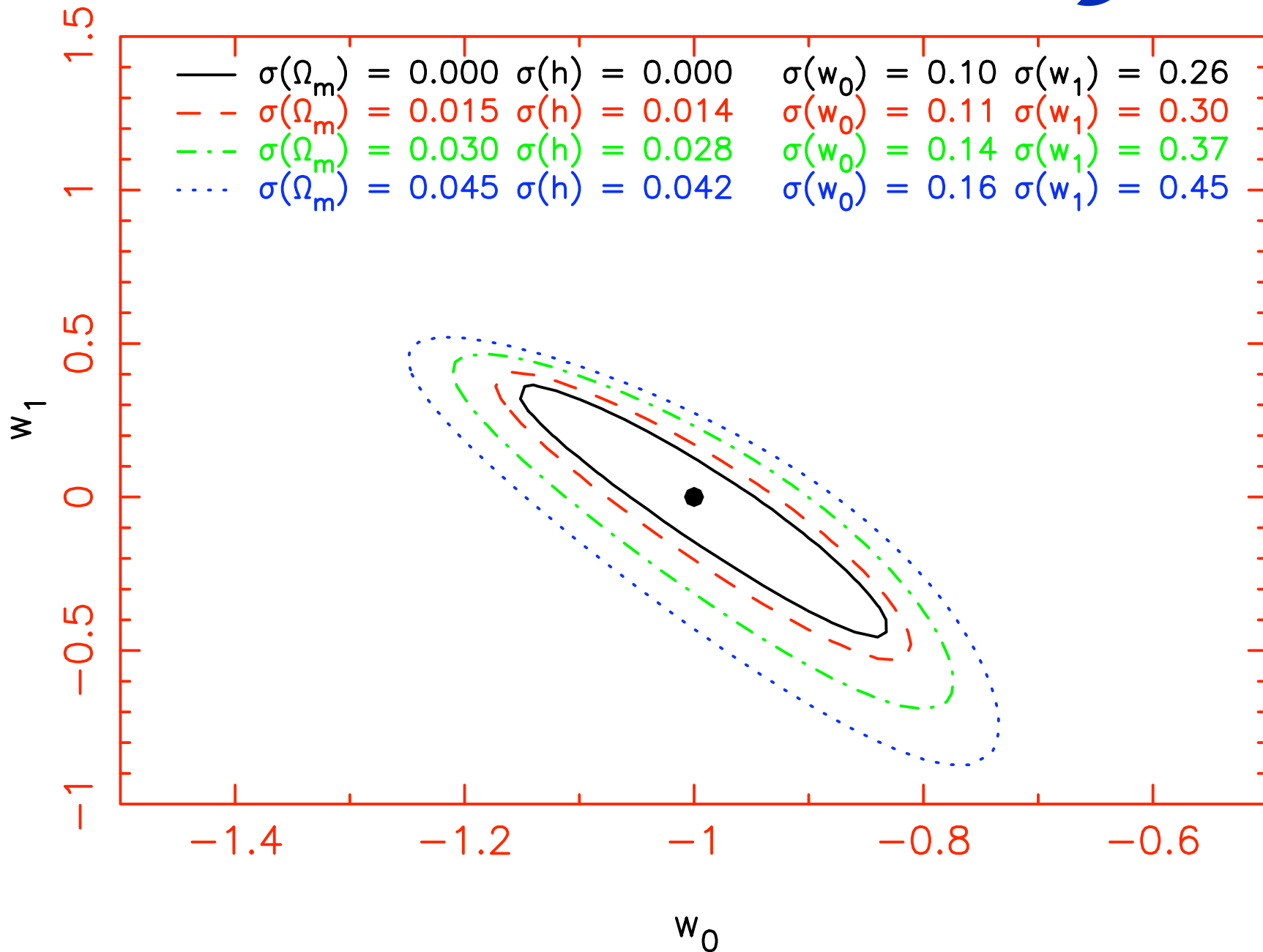
Simulated FMOS surveys

- Assume $1000 \text{ deg}^2 \sim 5 \times 10^6$ galaxies
- Redshift coverage $0.5 < z < 2$ ($H\alpha$ from $I-2\mu\text{m}$)
- $w(z) = w_0 + w_1 z$
- How well can one do?

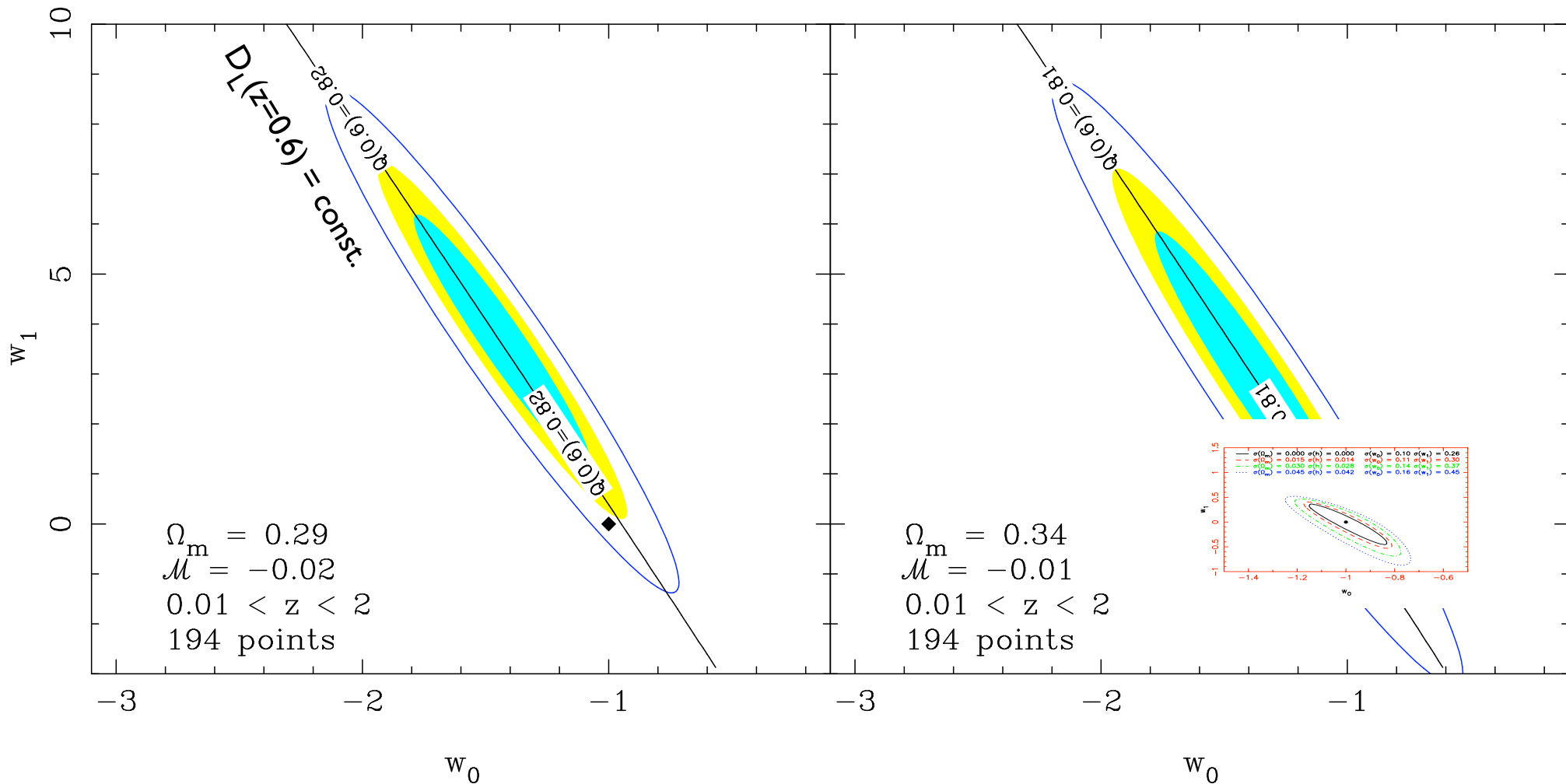
Simulated $\mathcal{P}(k)$



FMOS survey



How competitive?



Choudhury & Padmanabhan (flat models)

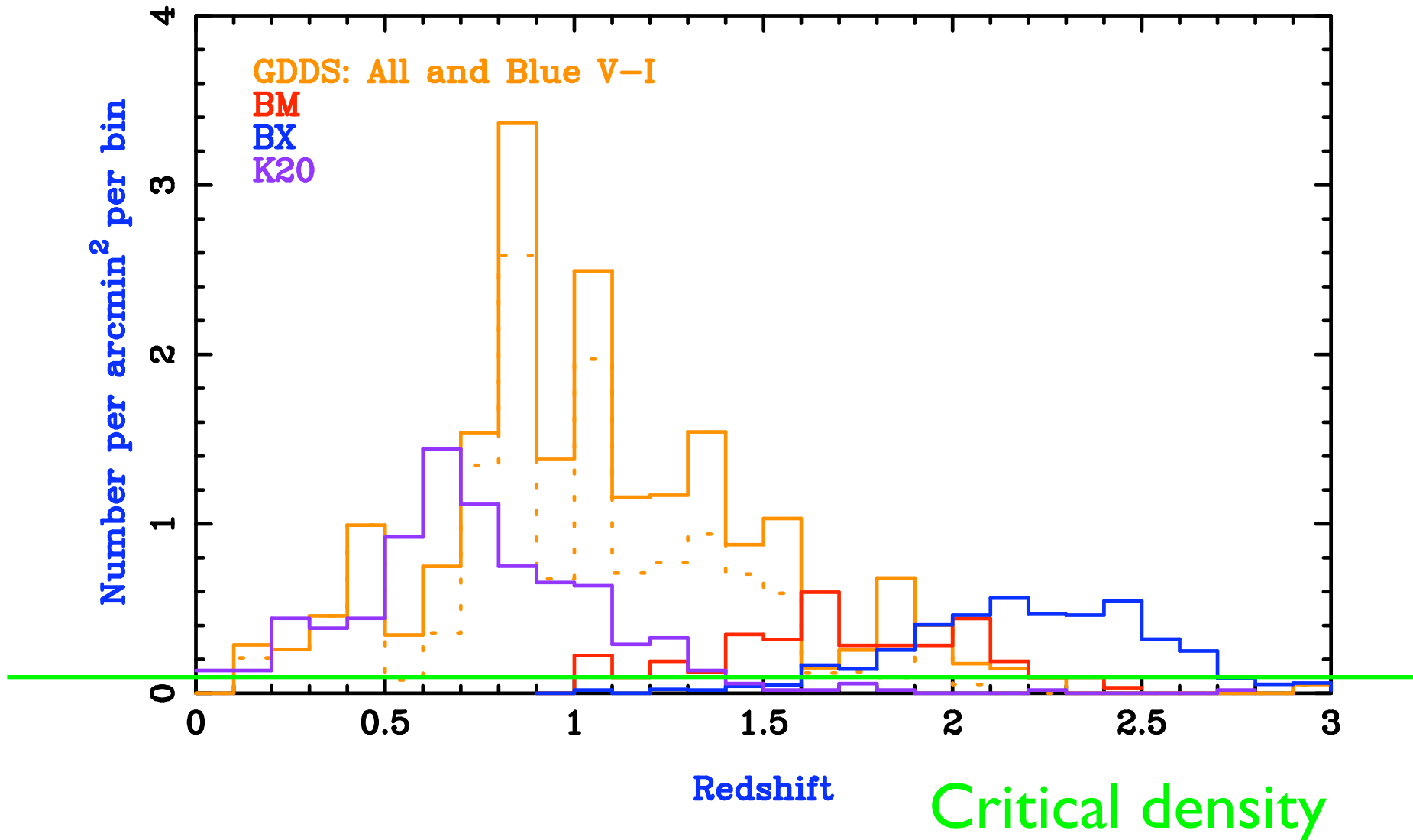
Very!

Great, but realistic?

- Survey areas 500 - 1000 deg² required
 - (2000 - 4000 FMOS fields!)
- Exposure times and target selection?
- Galaxy numbers:
 - Critical space density:
 1.3×10^{-3} galaxies/Mpc³
 $\equiv 1000$ galaxies/deg²/ $\Delta z=0.2$ bin ($1 < z < 2$)

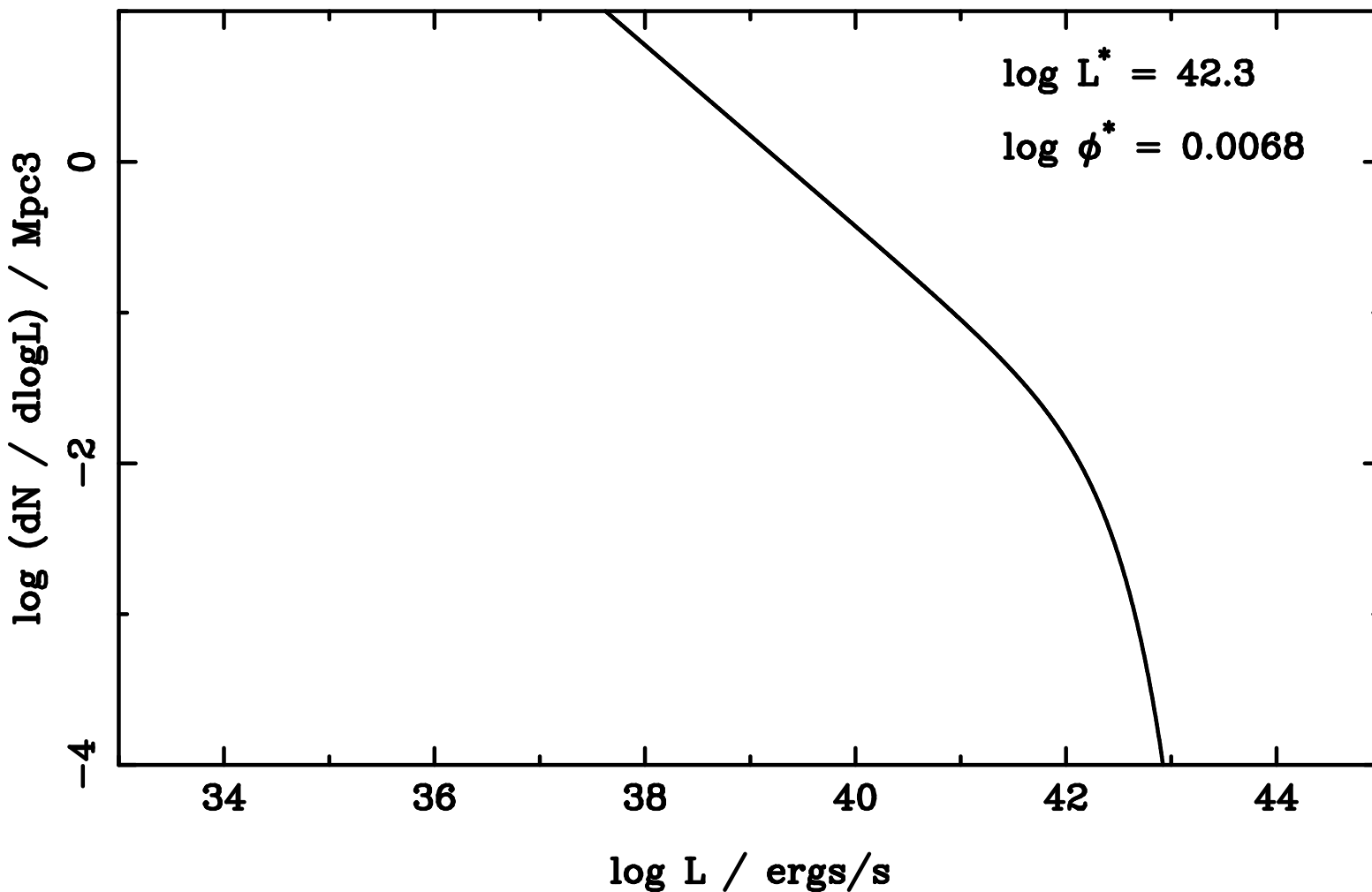
Numbers of galaxies

Numbers per unit area



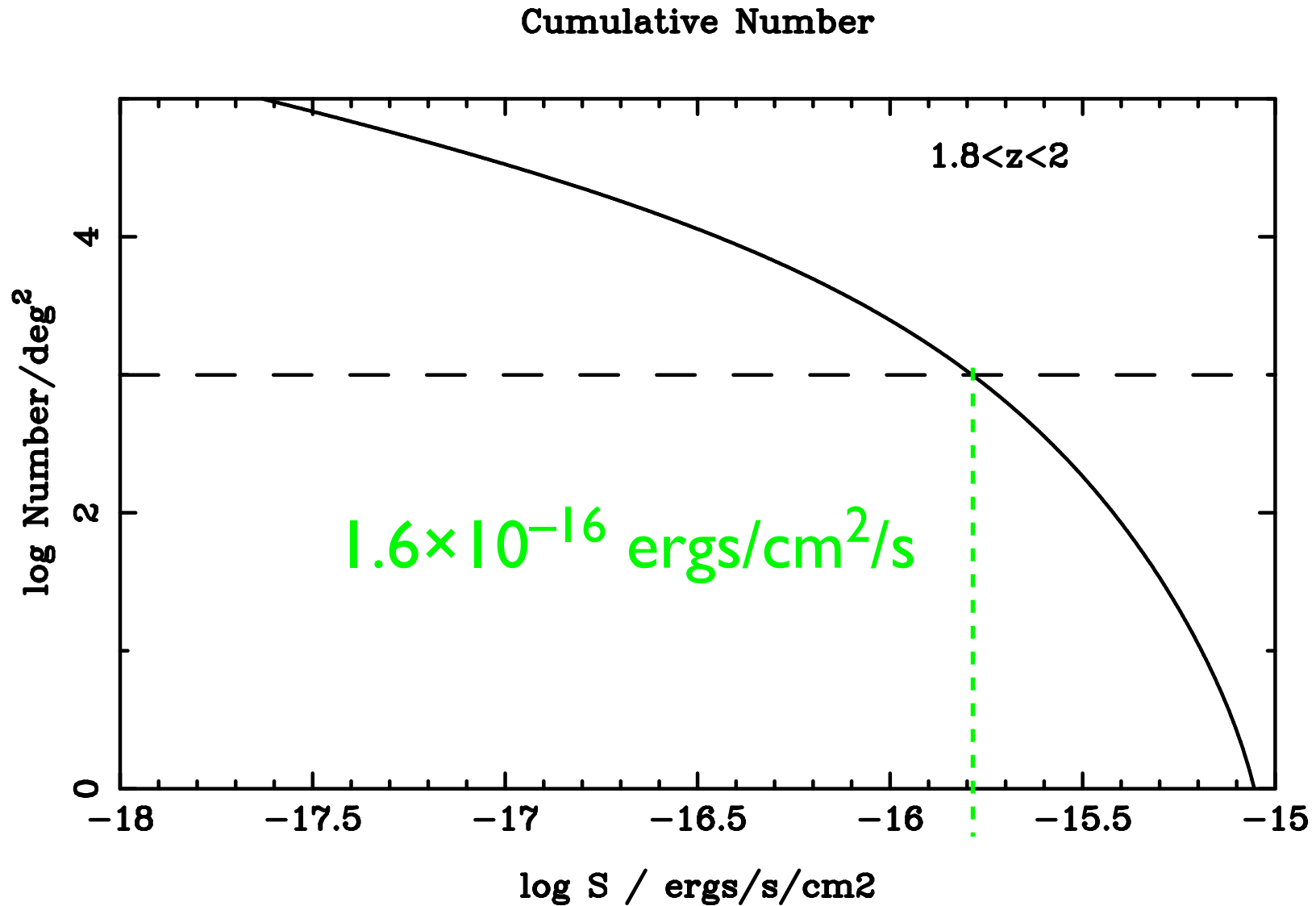
$\mathcal{H}\alpha$ \mathcal{LF} $z > 1$

Luminosity Function of $\mathcal{H}\alpha$ emitters



LFs: Hopkins et al., Yan et al.

H α number-flux $z > 1$



Easy?

FMOS numbers

User inputs in bold

Wavelength	18000 Angstroms	Mag zero point	3631 Jy (AB mags)
Galaxy mag at wavelength	22.3 AB mags		
Line Flux in SRE	16 1e-17 ergs/cm2/s		
Fraction of light in aperture (fudge)	0.7 e.g. 0.7 for slit width ~ seeing		
Mag in slit	22.6872549 mags	Sky brightness	19.4 mags/arcsec ² inter-OH
Fnu from object cuum	3055.795513 nJy/m ²	Fnu from sky	63099.54809 nJy/m ² /arcsec ²
Flambda from object cuum	2.82944E-22 W/m ² /A	Flambda from sky	5.84255E-21 W/m ² /A/arcsec ²
Photons from object cuum	0.002560579 ph/m ² /A/sec	Photons from sky	0.052873762 ph/m ² /A/sec/arcsec ²
Photons from object line	1.013574661 ph/m ² /sec		
Telescope area	40 m ²	Pixel spatial size	0.42 arcsecs
System efficiency atm->detector	20 %	Pixel spectral size	9 Angstroms
Exposure time for one integration	900 <i>seconds on target</i>	Object spatial size	3 pixels
Spectral SRE size	27 Angstroms	Slit width	3 pixels
SRE size along slit	1.26 arcsec	Dark count rate	0 electrons/sec/pix
Slit width	1.26 arcsec	Scattered OH rate	0 electrons/sec/pix
		True sky	2.014617246 electrons/sec/pix
Detected object electrons	497.7766447 per SRE	Readnoise	10 electrons/sec/pix
Detected line electrons	7297.737557 per SRE	Det .back. electrons	16318.39969 per SRE
		Back. noise	131.2188999 per SRE
Cuum Signal/noise per integration	2.663614873 per SRE	Sky subtraction fac.	1.414 sqrt(2) or 1
Line Signal/noise per integration		Sky/Object cuum	32.782574 per SRE
Number of integrations			
Total exposure	900 secs	Spec Resolution R=	666.6666667

Practical survey

- Need wide-field deg-scale IR spectrograph: FMOS and ??
- ~ 5 bins width $\Delta z=0.2$ covering $0.5 < z < 2$ (1–2 μm coverage minus atmospheric gaps)
- ~5000 galaxies / $\text{deg}^2 = 900$ per FMOS FOV (note number of galaxies required $\propto \text{bias}^{-2}$)
- 1000 deg^2 requires 300 clear Subaru nights at 30 mins per field. ~ 2dF survey. (interesting $w(z)$ for $\geq 500 \text{ deg}^2$)

Issues

- Looks easy but can we SELECT the H α bright population to put fibers on them??
- Narrow band imaging?
- Broad-band imaging + photo-z + rest-frame UV cut?
- Need a LOT of deep imaging data over hundreds deg².
- Even at \sim 1 hour per field can still cover substantial volume and do this science

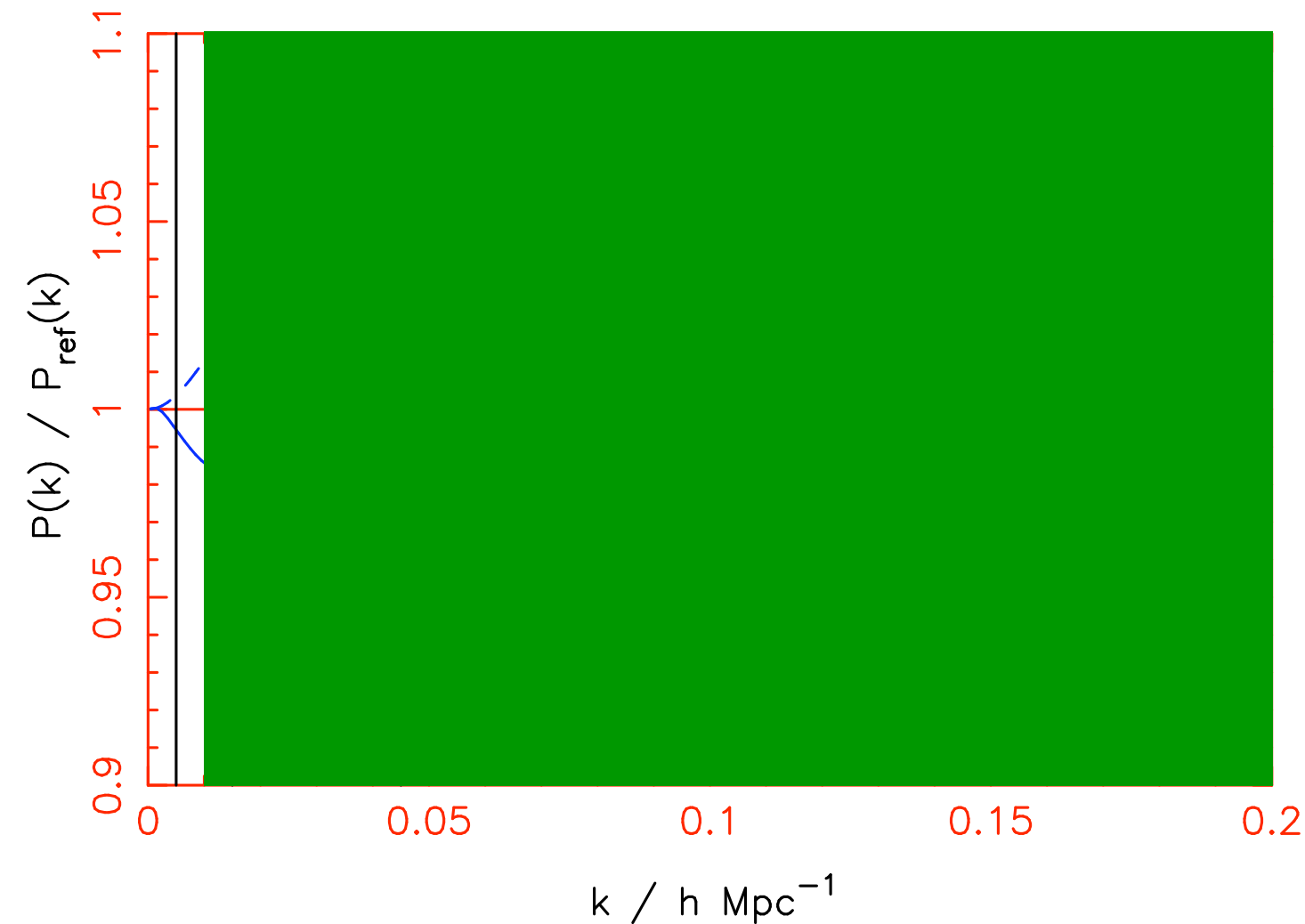
Conclusions

- FMOS measurement of cosmic sound is possible, and can be quite precise.
- Can constrain dark energy *equation of state* to an order of magnitude better than current/near-future SNe data
- No other instrument can do this
- Can be done in feasible number of nights
- Result would be of major cosmological significance. Major FMOS success.

Go for it!



Photometric redshifts?



$$\times \exp\left(-\frac{k_z^2}{k_0^2}\right)$$

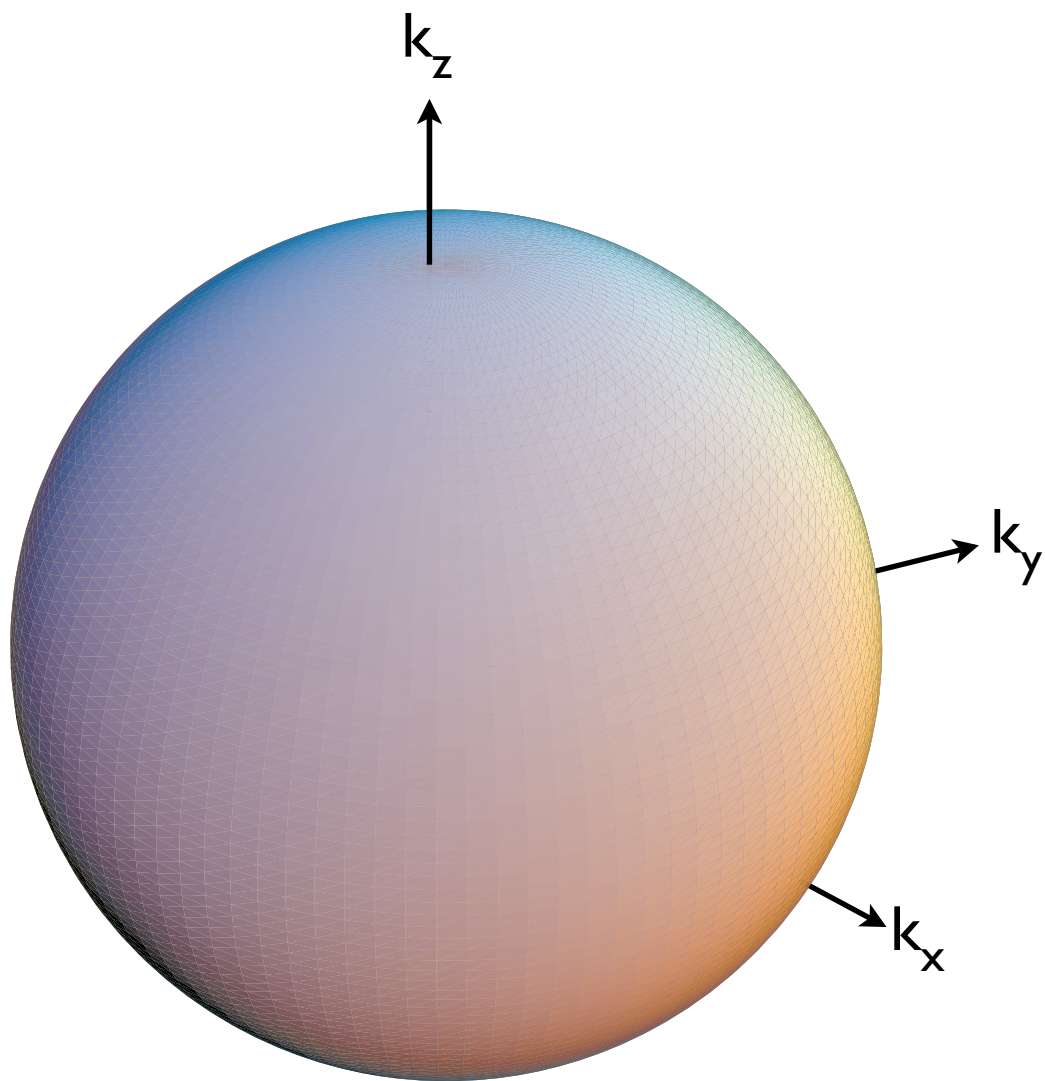
suppressed
radial modes.

$$\text{If } \frac{\sigma_z}{1+z} = 0.03$$

$$\Rightarrow k_0 = 0.01 \text{ at } z=1$$

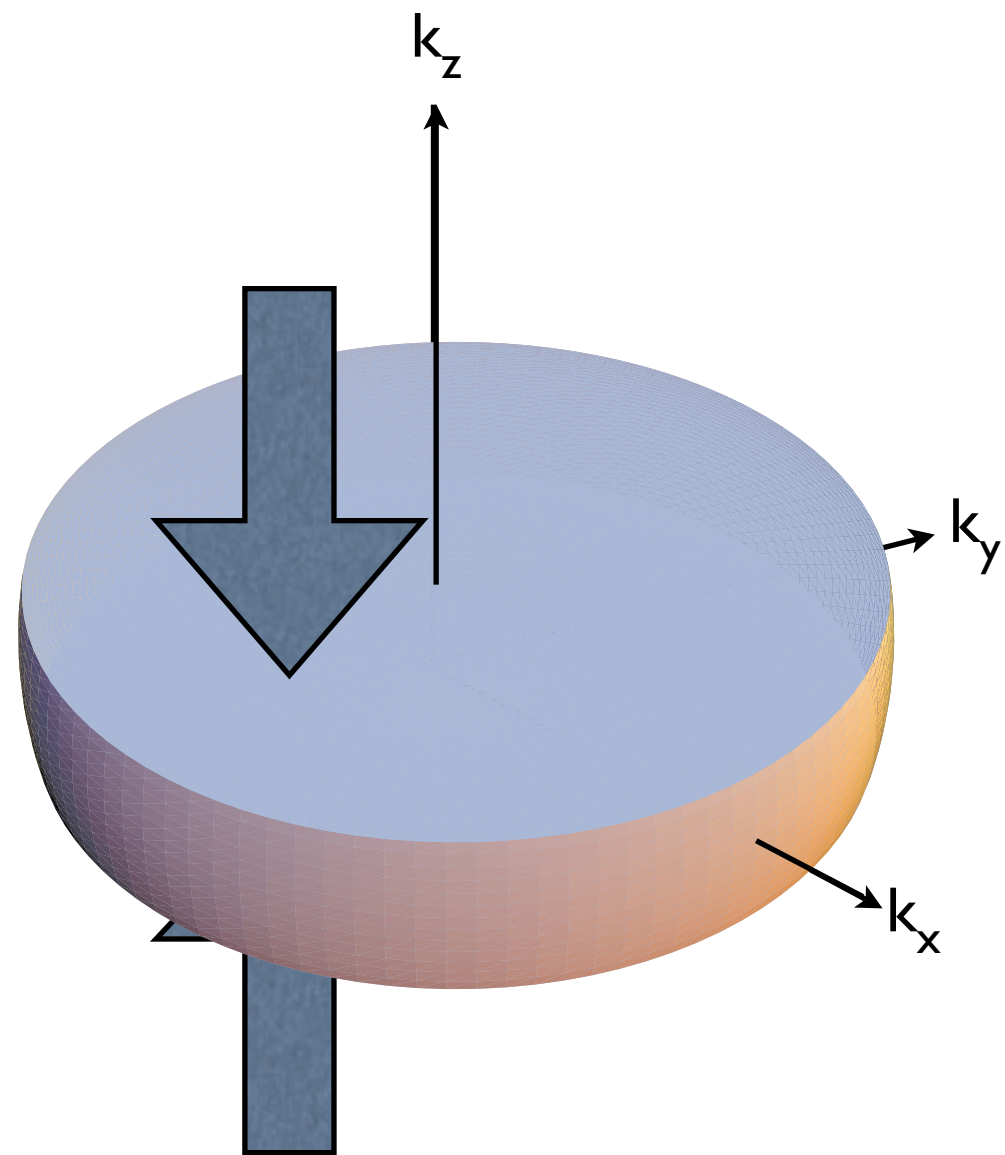
(i.e. only see
> 100 Mpc modes)

Spectroscopic survey $|k| < 0.2$



N modes

Photo-z survey



$N/20$ modes for $\frac{\sigma_z}{1+z} = 0.03$